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Indentation as a Technique to Assess the Mechanical Properties of Fallback Foods

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KEY WORDS hardness; elastic modulus; fallback foods; fracture mechanics; bite force

ABSTRACT A number of living primates feed part-year on seemingly hard food objects as a fallback. We ask here how hardness can be quantified and how this can help understand primate feeding ecology. We report a simple indentation methodology for quantifying hardness, elastic modulus, and toughness in the sense that materials scientists would define them. Suggested categories of fallback foods—nuts, seeds, and root vegetables—were tested, with accuracy checked on standard materials with known properties by the same means. Results were generally consistent, but the moduli of root vegetables were overestimated here. All these properties are important components of what fieldworkers mean by hardness and help understand how food properties influence primate behavior. Hardness sensu stricto determines whether foods leave permanent marks on tooth tissues when they are bitten on. The force at which a food plastically deforms can be estimated from hardness and modulus. When fallback foods are bilayered, consisting of a nutritious core protected by a hard outer coat, it is possible to predict their failure force from the toughness and modulus of the outer coat, and the modulus of the enclosed core. These forces can be high and bite forces may be maximized in fallback food consumption. Expanding the context, the same equation for the failure force for a bilayered solid can be applied to teeth. This analysis predicts that blunt cusps and thick enamel will indeed help to sustain the integrity of teeth against contacts with these foods up to high loads. Am J Phys Anthropol 140:643–652, 2009. © 2009 Wiley-Liss, Inc.

At certain times of the year, primates switch their diets toward fallback items that are otherwise avoided. Very often, these foods are described as being hard. Perhaps the best documented examples of hard-food consumption by primates are seen among the pitheciins (Kinzey and Norconk, 1990, 1993), mangabeys (Lambert et al., 2004), capuchins (Wright, 2005), and orangutans (Vogel et al., 2008). When eaten seasonally, these foods are classifiable as fallback foods of the “filler” category, the consumption of which is inversely related to the availability of preferred foods (Marshall and Wrangham, 2007). Such foods are currently postulated to have major evolutionary consequences for the morphology of the feeding apparatus, including the evolutionarily important characteristic of molar enamel thickness (Lambert et al., 2004; Marshall and Wrangham, 2007). However, the problem in examining this suggestion by analysis and experimentation is that there are very few quantitative measurements of the physical properties of these foods. One problem is the actual definition of hardness in terms of material properties. The other is the difficulty of shaping hard food particles into specimens that comply with criteria given in the materials testing literature. For example, shaping a seed coat into an accurate beam for three-point bending or into a double cantilever, both common methods for getting deformation and fracture properties in hard materials (and both described in Atkins and Mai, 1985), is very difficult in field conditions. When such specimens can be made, it is easy to exceed the current 100 N force limit in a portable tester like the Darvell tester (Darvell et al., 1996). This has led to the largest major investigation of the mechanical properties of primate foods pub...
lished to date (Vogel et al., 2008) necessarily lacking data on the hardest food items. Yet these hard items may well have been crucial fallback items that, over time, have selected for dento-facial features like large jaw muscles and thickened enamel in the consuming primates.

The first issue is that of terminology. To a materials scientist, the hardness $H$ of a material is its resistance to indentation, measured as the force producing unit area of plastic deformation under the indenter (Tabor, 1951). However, this is not the definition of hardness suggested for feeding studies (Lucas et al., 2000, 2002; Vincent et al., 2002; Lucas, 2004; Vogel et al., 2008), which is the square root of the product of the elastic modulus $E$ (the stress-strain stiffness in the elastic range), and the fracture energy $R$, the energy expended required to grow a crack of unit area. This quantity, i.e., $(ER)^{1/2}$, is often called toughness ($T$) by materials scientists, which they take to be the resistance to crack propagation (Lawn, 1993). Thus, what some people call "toughness," others refer to as "hardness." However, provided it is made clear which definition is being employed, and that the testing protocol is clear, measuring the values and demonstrating their consequences are the useful aspects of the work. The use of measuring such properties for feeding studies for estimating break forces and understanding tooth design is our main aim here.

Indentation hardness tests originally involved large areas of contact and therefore high forces. However, the tests have been progressively miniaturized; a critical advantage to this being that the size of an indentation can then be matched to the size of structures that determine the mechanical response of a material under load. Indentations involving nanometer displacements have shown that much of the fracture resistance of enamel is associated with the large strains that the organic matrix develops between individual crystallites, allowing the latter to displace easily, with the absorption of considerable energy (He and Swain, 2007). This deflection mechanism is common to bone, mollusk shell, wood, and man-made fiber composites (Fratzl, 2007). However, nonindentation may be insufficient to initiate cracking, so information on the initiation and progress of fractures must be monitored at a larger scale. Microindentation achieves this by sinking an indenter to sub-millimeter depths from which cracks often form in brittle materials (Anstis et al., 1981). Finally, in the oldest version of the test, a macroindenter sinks millimeters into a tissue. This test offers a simpler method of obtaining toughness by placing the indenter close to a free surface to form a small fragment of material (Chai and Lawn, 2007). Its scale is also much more relevant to the gross organization of the enamel cap of a tooth (Lawn et al., 2008) with respect to fallback foods.

With any of these tests, it is possible to use depth-sensing both to measure the hardness of a material during loading and the elastic modulus from the rebound of the deepest part of the indentation (Lawn and Howes, 1981). This article reports a method of obtaining indentation hardness and elastic modulus of hard foods in the field using one easy-to-operate test. We assess the accuracy of this, and demonstrate how knowledge of these values would benefit an assessment of the evolutionary influence of these mechanical properties on the primate consumer. In addition, we also indicate briefly how recent advances in fracture mechanics (Chai and Lawn, 2007) allow toughness estimates to be obtained by chipping these foods.

**MATERIALS AND METHODS**

**Test apparatus**

Vickers indenters were fabricated from 6-mm diameter high-speed steel and tungsten carbide rods by grinding one end into the shape of the required square pyramid, the junction of the faces making an angle of 136° at the apex. The stainless steel suffices for most foods, but chipping tests on glass required the extra hardness of tungsten carbide. The rods were held in a hard aluminum alloy block by an Allen screw. This block was tapped on the opposite face to receive the stud of either a 100 N or a 1,000 N miniature load cell (Sensotec, Columbus, OH) beneath the crosshead on a Darvell HKU portable mechanical tester (Darvell et al., 1996; Fig. 1). The Darvell tester is a hand-wound device that can be used in remote field situations. Its key features are its portability and reliability even in very humid environments. Crosshead movement is effected by manually turning a handle and monitored by a sector disc-encoder revolution counter (Darvell et al., 1996). To get true force vs. displacement data, the tester reads the force after every micrometer of crosshead movement. The tester is connected via a PCMCIA A-D card (model 6062E) to a laptop computer running Labview 7.1 (both National Instruments, Austin TX) and the combination thus functions as a miniature universal testing machine without the need for strict rate control.

**Specimens**

As standards, specimens of industrial polymers—poly-methyl methacrylate, polycarbonate (Makron, Bayer Material Science, Leverkusen, Germany), polytetrafluoroethylene (Teflon, DuPont, Wilmington, DE), and polystyrene foam (manufacturer unknown; density 0.024 g cm$^{-2}$)—were employed as standards for hardness-modulus tests. These were tested for their elastic modulus independently by a dynamic vibration excitation test (Grindosonic, Lemmens NV, Leuven, Belgium). However, given that dynamic moduli tend to be larger than static values, these estimates, and those for hardness, were supplemented with literature estimates. For chipping tests, we used sodalime glass as a standard because the properties of this ceramic are well-known (Lawn, 1993). The glass blocks were polished down to a 1 μm finish with diamond paste prior to testing.

To represent fallback foods, we tested various seed shells (origins listed in Table 1), plus some seed kernels and two root vegetables from commercial suppliers. The commercially obtained specimens were tested as received. The seed shells and palm nuts were all dry, although testing of seed shells in other studies has shown little difference between wet and dry specimens for most properties (Jennings and Macmillan, 1986; Wang and Mai, 1994; Williamson and Lucas, 1995). Parts of the specimens used for testing were chosen at random. All specimens were fashioned with a flat upper surface, ensuring a specimen thickness at least 10 times the depth of the intended indentation to avoid the "anvil" effect. Seed shells were polished down with 600 grit abrasive paper prior to testing to provide a flat surface for hardness-modulus tests. For chipping, a side
wall orthogonal to the top surface was created by similar polishing. Where necessary, specimens were secured to the test stage under the indenter with double-sided sticky tape or with a clamp to stabilize them.

**Correction for machine compliance**

The reason for the often relatively huge size of testing machines in mechanical engineering laboratories is to make the machine as stiff as possible, since the aim is to deform the specimen and not the machine itself. However, even for the stiffest of machines, its compliance needs to be corrected for. Calibration in this sense was achieved by replacing the indenter with a flat aluminum block and driving the crosshead down extremely carefully so that this bore on the specimen stage. With a large area of contact, this measures the overall compliance of a tester system (van Vliet et al., 2004). The machine deflection was recorded in this way at each 1 N interval up to full-scale. These data were then compiled into a look-up table on a computer program for subtraction from the measured deformation automatically during each test run for hardness-modulus tests only.

**Hardness-modulus tests**

During testing, the crosshead was first wound down until the indenter was a few micrometers away from contact. With the computer program then started, indentations could be made up to 1 mm in maximum depth by slowly and regularly winding the crosshead into the specimen at speeds of between 5 and 20 mm min$^{-1}$. Depths of several hundred microns or more were required to minimize the increased compliance caused by the tape, ~50 μm in thickness, and inaccuracies of displacement due to backlash in the screw threads. A real-
time chart of force versus displacement was provided on the computer screen. After loading to the desired depth or force, the crosshead direction was abruptly reversed (without dwelling at maximum load) and the wheel turned at approximately the same speed until the indenter returned to its original out-of-contact position. The form of the resulting graph is shown in Figure 1D.

The area of an indentation is usually measured after unloading by optical means. A significant advance in nanolevel testing has been the employment of a theoretical analysis by Sneddon (1965) that predicts how a material behaves under an indenter during both loading and unloading (Oliver and Pharr, 1992, 2004). This allows the estimation of both hardness (during loading) and the elastic modulus (during unloading) without direct measurement of contact area. The most important point is that an indenter does not have a completely local effect, tending to drag material down on either side as it driven into the material (Fig. 1A,B). Thus, the depth to which an indenter is apparently inserted into a material generally exceeds the actual penetration measured from the (displaced) surface (Oliver and Pharr, 1992). The following shows how analysis usually associated with nanindentation can be employed in a macro-test.

In an ideal elastic-plastic solid, one that transitions instantly at a yield point from elastic to plastic behavior, if a force $P$ produces a permanent indentation of area $A_p$, this area being that projected in the plane of the specimen surface, then the hardness is given (Tabor, 1951) by the following:

$$H = \frac{P}{A_p}$$  \hspace{1cm} (1)

The result is not a material property in itself, but an indirect measurement of the plastic deformation that a solid is unable to resist once its yield stress is reached. For most materials, $H = cY$, where $Y$ is the yield stress and $c$ is a coefficient with a value in the range 1–3 (Tabor, 1951; Wilsea et al., 1975). The higher value is typical of fully dense materials such as metals, whereas the lowest values apply to materials that collapse inwards, as is true of cellular plant tissues and otherwise fully dense materials that have been “foamed” (Gibson and Ashby, 1999).

The amount of sink-in (Fig. 1B) needs to be deducted from the total depth of indenter movement. With depth in general denoted by $h$, the sink-in depth is given (Oliver and Pharr, 2004) by the following:

$$h = \frac{P}{E}$$

### Table 1. Results of hardness-modulus macro-indentation experiments

<table>
<thead>
<tr>
<th>Specimens</th>
<th>Number of tests</th>
<th>Indentation hardness/MPa (s.d.)</th>
<th>Reduced elastic modulus/GPa (s.d.)</th>
<th>Other values for comparison</th>
</tr>
</thead>
<tbody>
<tr>
<td>Seed shells</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td><em>Scheelea</em> sp. (fam. Arecaaceae) Barro Colorado, Panama</td>
<td>8</td>
<td>271.5 (74.7)</td>
<td>3.80 (0.99)</td>
<td>Modulus: <em>Cocos nucifera</em> 2.9–4.9 GPa (Vincent, 1990)</td>
</tr>
<tr>
<td><em>Orbignya</em> sp. (fam. Arecaaceae) Piuai, Brazil</td>
<td>19</td>
<td>148.6 (29.2)</td>
<td>1.33 (0.21)</td>
<td>Modulus: 2–6 GPa (Jennings and Macmillian, 1986); 4.8 GPa (Wang and Mai, 1994)</td>
</tr>
<tr>
<td><em>Astrocaryum</em> sp. (fam. Arecaaceae) Piuai, Brazil</td>
<td>19</td>
<td>197.3 (31.8)</td>
<td>1.66 (0.15)</td>
<td>Hardness: 180 MPa (Jennings and Macmillian, 1986)</td>
</tr>
<tr>
<td><em>Elaeis guineensis</em> (fam. Arecaaceae) Oil palm Missouri Botanical Gardens</td>
<td>3</td>
<td>126.3 (20.6)</td>
<td>2.46 (1.04)</td>
<td></td>
</tr>
<tr>
<td><em>Macadamia ternifolia</em> (fam. Arecaaceae) commercial supplier: Australia</td>
<td>5</td>
<td>162.2 (107.8)</td>
<td>2.59 (1.42)</td>
<td></td>
</tr>
<tr>
<td>Seed kernels</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Almond</td>
<td>6</td>
<td>2.52 (0.54)</td>
<td>0.0576 (0.02)</td>
<td>Modulus: 0.034 GPa (Agrawal and Lucas, 2003)</td>
</tr>
<tr>
<td>Hazelnut</td>
<td>5</td>
<td>7.18 (4.36)</td>
<td>0.194 (0.02)</td>
<td>Modulus: 0.032 GPa (Agrawal and Lucas, 2003; 0.045 Wang and Mai, 1994)</td>
</tr>
<tr>
<td>Brazil nut</td>
<td>6</td>
<td>7.13 (2.54)</td>
<td>0.198 (0.076)</td>
<td></td>
</tr>
<tr>
<td>Macadamia</td>
<td>5</td>
<td>4.90 (0.87)</td>
<td>135.0 (0.046)</td>
<td></td>
</tr>
<tr>
<td>Underground Storage organs (vegetables)</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Raw white potato</td>
<td>5</td>
<td>0.189 (0.012)</td>
<td>0.00412 (0.0018)</td>
<td>(Dynamic storage) Modulus: 0.003 GPa (Dejmek and Miyawaki, 2002)</td>
</tr>
<tr>
<td>Raw carrot</td>
<td>4</td>
<td>1.3 (0.71)</td>
<td>0.018 (0.007)</td>
<td>Modulus: 0.0046 GPa (Lucas, 1980); 0.0014 GPa (Thiel and Donald, 1998)</td>
</tr>
<tr>
<td>Standard polymers</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Polytetra-fluoroethylene (Teflon)</td>
<td>15</td>
<td>41.3 (10.25)</td>
<td>0.65 (0.10)</td>
<td>Modulus: 1.46 GPa (vibration); 0.50 GPa (compressive modulus—Anon, 2008) Hardness: 50–65 MPa (Kodintseva et al., 2006)</td>
</tr>
<tr>
<td>Polycarbonate (Makrolon GP)</td>
<td>6</td>
<td>275.9 (68.3)</td>
<td>1.63 (0.18)</td>
<td>Modulus: 2.35 GPa (vibration); 2.38 GPa (Bayer datasheet); 6.5 GPa (Oyen and Cook, 2003) Hardness: 260 MPa (Oyen and Cook, 2003); 0.0092 GPa (vibration) Modulus: 0.0092 GPa (vibration)</td>
</tr>
<tr>
<td>Expanded polystyrene (Styrofoam)</td>
<td>5</td>
<td>0.398 (0.034)</td>
<td>0.0084 (0.0017)</td>
<td>Modulus: 5.37 GPa (vibration); 8.6 GPa (Oyen and Cook, 2003) Hardness: 390 MPa (Oyen and Cook, 2003)</td>
</tr>
<tr>
<td>Polymethyl methacrylate</td>
<td>2</td>
<td>324.2 (185.1)</td>
<td>4.49 (0.55)</td>
<td></td>
</tr>
</tbody>
</table>
the toughness lying a distance normal to one of these surfaces, and the indenter tip fracture within the material. With the indenter directed chip morphology not to be dictated by favored planes of the material has to be sufficiently brittle for cata-
surfaces (Chai and Lawn, 2007). A major caveat is that the edge of specimens at the junction of two orthogonal
obtained from tests whereby chips are removed from (Oliver and Pharr, 1992) is as follows:
actual depth of the indentation with material in contact is a coefficient called the “effective indenter shape.” The placement curve on initial unloading (Fig. 1C,D), and
from the indenter geometry, and the indentation hard-
step would be

\[ h_s = h_{\text{max}} = \varepsilon \left( \frac{P_{\text{max}}}{S} \right) \]  

where, \( h_{\text{max}} \) is the total displacement of the indenter at the maximum force \( P_{\text{max}} \). \( S \) is the slope of the force-displacement curve on initial unloading (Fig. 1C,D), and \( \varepsilon \) is a coefficient called the “effective indenter shape.” The actual depth of the indentation with material in contact (Oliver and Pharr, 1992) is as follows:

\[ h_d = h_{\text{max}} - h_s. \]

The area of contact \( A_p \) can then be estimated directly from the indenter geometry, and the indentation hardness given directly by Eq. (1), with the distinction that the area is not measured after unloading. Also, from Oliver and Pharr (1992, 2004, the estimate of the elastic modulus \( E \) is then given by:

\[ E = 2\beta A_p^{1/2} / \varepsilon^{1/2} S \]

with \( \beta \) being another function of indenter shape. The projected area for a Vickers pyramid is related to depth by \( A_p = 25.4h_d \). According to Tanaka et al. (2004), the coefficient \( \varepsilon \approx 1 \), meaning that the Vickers indenter behaves in many ways as though it was a flat punch, and \( \beta = 1.153 \). The initial unloading stiffness \( S \) could be determined by linear regression of force on displacement for the upper part of the unloading curve after subtraction of machine compliance (Fig. 1D).

The resulting modulus value is often called the reduced elastic modulus because it is a composite of the properties of both indenter and (food) specimen. However, compensation for the indenter modulus of elasticity makes a negligible difference to values in this study because of the much lower modulus values for the food objects compared with that of stainless steel (210 GPa) or tungsten carbide (~700 GPa). Even for the stiffest object tested here, the error in not performing this final step would be <4%.

**Chipping tests**

The toughness \( T \) of sufficiently hard materials can be obtained from tests whereby chips are removed from the edge of specimens at the junction of two orthogonal surfaces (Chai and Lawn, 2007). A major caveat is that the material has to be sufficiently brittle for catastrophic failure and also sufficiently homogeneous for chip morphology not to be dictated by favored planes of fracture within the material. With the indenter directed normal to one of these surfaces, and the indenter tip lying a distance \( a \) from the interface intersection of the surfaces, the toughness \( T \) is readily obtained from the maximum force \( P_{\text{max}} \) at chip removal (Chai and Lawn, 2007), being

\[ T = P_{\text{max}}/9.3a^{1.5}. \]

To both align the indenter and to view the chipping process, a USB digital portable microscope (Veho VMS-001, Eastleigh, Hants, UK) was focused on the stage, images being viewed in real time. The maximum force was given directly on the computer screen, and easily observed because of the abrupt load drop when a chip is removed. Thus, the only dimension required by direct measurement in this entire study is that of \( a \), which was achieved here using calipers under the microscope. The resulting toughness estimate has units of MPa m\( ^{1/2} \).

**RESULTS**

**Hardness-modulus**

Results are given in Table 1. The average estimates for the elastic modulus of the polymers were slightly lower than those given by vibration testing (as expected), but similar to those obtained from literature sources (static values). There appeared to be no large discrepancies, but the standard deviations were often large. Hardness estimates also showed large scatter, but the results seem entirely reasonable in relation to available literature values. The moduli for the seed shells were similar to those for polymers and to literature values. However, the moduli for the seed kernels and the two root vegetables were somewhat overestimated compared with data from other tests, often being more than double those from direct compression tests (Table 1).

**Toughness**

Examples of chips in sodalime glass and macadamia shells are shown in Figure 2. When the peak force for chipping sodalime glass was plotted against 9.3\( a^{1.5} \), for various \( a \), a straight line resulted (Fig. 4), giving a slope of 0.58 MPa m\( ^{1/2} \) (Fig. 4). Data for the toughness of glass and four nutshell are given in Table 2. Often, chip size was limited by shell thickness (e.g., for macadamia shells, which were only 2 mm thick); but for feasible values of \( a \), toughness did not vary with either \( P_{\text{max}} \) or \( a \), and chips generally had similar shapes to those of ideal brittle materials (cf. Fig. 3A–B).

**DISCUSSION**

**Evaluation of test results**

The main assumption of depth-sensing indentation experiments is that the material behaves like an ideal, linearly elastic-plastic solid (Oliver and Pharr, 1992, 2004). However, no real solid, not even a ceramic,
behaves exactly like this, and polymers display a distinct viscous response even at low strains (Oyen and Cook, 2003). Fluid-filled cellular plant tissues can have a very pronounced time-dependent response with considerable deviation from linear stress-strain behavior (Warner et al., 2000). Yet, very soft nonlinear biomaterials like gels can still be tested by indentation (Ross and Scanlon, 2007), even though lies more in its applicability to seed shells and the like because, as stated in the “Introduction,” these are otherwise very difficult to test in the field. Thus, we believe that numbers for hardness, modulus, and probably toughness can be obtained for fallback objects from field tests. The values for the seed shells in Table 1 are in the low GigaPascal range, and as such are two orders of magnitude higher than those given in the review of orangutan and chimpanzee foods given by Vogel et al. (2008), suggesting the necessity for techniques such as these to examine the properties of, e.g., dry fruits and seed shells. The hardness values are low even compared with dentine (650 MPaWaters, 1980) and very low compared with enamel (~3,000–6,000 MPa Cuy et al., 2002).

The potential of hard fallback foods to damage teeth

Tooth crowns are vulnerable to several types of fracture. Contact with a hard particle can cause yielding (i.e., plastic deformation) of the enamel (Lawn et al., in press), just as in a hardness test where the enamel is the specimen. Yielding though is only a contributory factor to tooth wear and will not cause catastrophic failure of the tooth. However, if enamel yields before failing, then a median crack can grow directly from the under-surface of the plastically deforming zone down through the enamel (Lawn and Evans, 1977; Fig. 3A). Enamel can also crack at the enamel-dentine junction, with the crack climbing upwards toward the point of contact with the food (Fig. 3B). This latter type of fracture is called a radial crack. The crown can also fracture very low down near the cement-enamel junction. Such margin cracking is commonly encountered in the modern human dentition (Grippo, 1991), but is discussed elsewhere (Lawn et al., 2009).

The important question to be addressed here is which of these types of damage may be resisted by thick enamel. Yielding is the name given to the switch in behavior of a solid under load from elastic deformation to permanent (plastic) deformation beyond a particular value of the stress. It is yielding that leads to marks, like the pits or scratches typical of dental microwear, being left on a surface after the load is removed. The relative hardness of two contacting bodies under load is important in establishing which of these objects will yield. Yielding is a general precursor to wear (Lucas et al., 2008), which may be an important aspect of anatomical
specializations in relation to fallback foods (Lambert et al., 2004; Marshall and Wrangham, 2007). Generally, if the softer object is less than 40% of the hardness of a harder one, then the harder one will not yield at all (Atkins and Felbeck, 1974; Atkins, 1982). In such a situation, the critical load at yield for the softer solid is given (Rhee et al., 2001) by the following:

\[ P_Y = 0.85H \left( \frac{H}{E} \right)^{2 \alpha} \]

where \( r \) is the effective radius of contact between the contacting bodies, and \( E \) and \( H \) are the modulus and hardness of the softer object, respectively (Rhee et al., 2001). It can immediately be noted that yielding has no dependence on the thickness of the enamel. However, this is probably not relevant anyway because none of the estimated hardness values of the seed shells exceeds 300 MPa. This value should be compared with average values of 3,600 MPa for enamel and 650 MPa for primary dentine (Braden, 1976; Waters, 1980; Cuy et al., 2002; Lucas, 2004). Clearly, these food coverings have only \( \sim 10\% \) of the hardness of enamel and will not mark it, as was established experimentally by Peters (1982). The hardness values are closer to those of primary dentine, and even more so with secondary dentine, which can have values as low as 300 MPa (Baker et al., 1959; Lucas, 2004). Thus, dentine may be damaged by seed shells, but not enamel. Seed shells themselves are likely to yield. As an estimate of the magnitude of the force required to produce this, values of \( H = 200 \) MPa and \( E = 3 \) GPa (Table 1) can be inserted in Eq. (5), together with \( r = 20 \) mm as a typical size of a fallback food object (Table 3). The result is yielding at around 300 N.

**Use of the data to calculate the force to fracture fallback foods**

Seeds have many parallels to teeth. They are often bilayered, being covered with a thin, stiff, and hard shell

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**Table 3. Predicted forces, calculated from Eq. (7), compared with observed force to failure for five types of mechanically protected seeds and a woody gall**

<table>
<thead>
<tr>
<th>Food Item</th>
<th>( r ) (mm)</th>
<th>( d ) (mm)</th>
<th>( H ) (MPa)</th>
<th>( E_{shell} ) (GPa)</th>
<th>( T ) (MPa.m^1/2)</th>
<th>( E_{content} ) (MPa)</th>
<th>Predicted radial crack failure (N)</th>
<th>Observed failure force (N)</th>
<th>References</th>
</tr>
</thead>
<tbody>
<tr>
<td>Distylium racemosum woody gall (fam. Hamamelidaceae)</td>
<td>25</td>
<td>3</td>
<td>80</td>
<td>0.565</td>
<td>0.32</td>
<td>1^b</td>
<td>590</td>
<td>350</td>
<td>Hill et al. (1995)</td>
</tr>
<tr>
<td>Mezzettia parviflora seed shell (fam. Annonaceae)</td>
<td>21</td>
<td>3.5</td>
<td>450</td>
<td>7.5</td>
<td>3.7</td>
<td>13^b</td>
<td>6210</td>
<td>6000</td>
<td>Lucas et al. (1991); Lucas et al. (unpub.)</td>
</tr>
<tr>
<td>Schinziophyton rautenianii seed shell (fam. Euphorbiaceae)</td>
<td>12.5</td>
<td>3.5</td>
<td>–</td>
<td>5.2</td>
<td>2.1</td>
<td>30^b</td>
<td>4080</td>
<td>4600</td>
<td>Peters (1987a); Williamson and Lucas (1995)</td>
</tr>
<tr>
<td>Astrocaryum sp.</td>
<td>12.2</td>
<td>4.3</td>
<td>197</td>
<td>1.66</td>
<td>2.6</td>
<td>28.7</td>
<td>8096</td>
<td>5570</td>
<td>Visalberghi et al. (2008)</td>
</tr>
<tr>
<td>Orbignya sp.</td>
<td>18.3</td>
<td>5.2</td>
<td>149</td>
<td>1.33</td>
<td>193</td>
<td>4.2</td>
<td>6033</td>
<td>1500</td>
<td>Observed failure force: Visalberghi et al. (2008)</td>
</tr>
</tbody>
</table>

\(^a\) midpoint of range.  
\(^b\) estimate.  
\(^c\) based on Macaca fuscata tooth mark analysis, not fracture force (Hill et al., 1995).
with a fibrous structure that can mimic enamel (Lucas et al., 2008). Margin cracks are not relevant because shells are encapsulating structures rather than crowns, so instead median and radial cracks are the major threat to their integrity. Wang and Mai (1994) suggested that the shells of macadamia (Macadamia ternifolia) nuts often fail by radial (i.e., deep) cracks. Lucas et al. (1994) found for both macadamia nuts and Mezzettia parviflora seeds eaten by orangutans in Borneo that loading them either with flat plates or tooth row replicas has little influence on the force at which the seed fails. Lawn and Lee (in press) explain this by showing that the condition for catastrophic failure is similar for both median and radial cracks as they spread around the shell. The force for propagation of both of these types of crack is given by the following:

\[ P_F = \frac{B_T d 1.5}{\log(E_{\text{shell}}/E_{\text{content}})} \]  

where, \( T \) is the toughness, \( d \) is the shell thickness, \( E_{\text{shell}} \) is the shell modulus, \( E_{\text{content}} \) is the modulus of the encapsulated tissue, and \( B_T = 13.5 + 2.1 (r/d) \) (Rhee et al., 2001; Rudas et al., 2005; Lawn and Lee, in press). It can be noted in Eq. (7) that, the force will generally be raised by increasing \( d \), i.e., by thickening the outer shell. Also, because of the inclusion of the radius of curvature in the coefficient, a shell of higher radius will have greater resistance to failure. Since seeds yield, the equation is relevant both to the propagation of median and radial cracks. Although enamel is unlikely to yield, it is still vulnerable to radial cracking and thus both enamel thickness and cuspal radius will be important in preventing tooth fracture.

Although toughness estimates were not obtained in this study, they could be incorporated into future studies if crack lengths can be obtained and measured following indentation. The importance of this is indicated in Table 3, which uses Eq. (6) to predict the bite force from literature estimates of the properties of three types of fallback food, two from primate studies, and one from the human literature (Peters, 1987b). For each of these objects, the predicted failure force from radial cracking lies fairly close to that predicted by Eq. (6) for \( P_F \).

### Applicability of the analysis in a broader context

It is clear that hard foods in primate diets are probably much less hard than enamel, but can approach that of dentine. This needs documenting. If a hardness disparity between enamel and dentine were not present, then unless ingested particle sizes were really large, the enamel would yield at far below the forces at which the food objects in Table 3 fail (Lucas et al., 2008; Lawn et al., 2009; Constantino et al., submitted). This puts an evolutionary premium on enamel hardness and stiffness to far exceed that of foods and their coverings. Once cracking has started, then enamel thickness comes into play as a protective mechanism: the thicker the enamel, the higher would be the forces that cause catastrophic cracking. Further, since the coefficient \( B_T \) increases with the radius of curvature of a cusp, blunter cusps crack at higher loads than sharper ones. Once enamel thins, the cusp becomes vulnerable, and once dentine is exposed, the latter would wear rapidly because it would yield against seed shell and at lower force. One functional aspect of a thick enamel cap is to delay such dentinal exposure.

Bite forces and the arrangement of jaw muscles and skeleton to achieve these efficiently are a traditional concern of researchers in mammalian jaw mechanics (e.g., Crompren, 1963; Bramble, 1978; Greaves, 1978; Walker, 1978; Hylander, 1978, 1985; Spencer, 1998). Most often, the bite is assumed to be a point load—the circumstances likely when hard (fallback) foods are eaten. There do not appear to be any previous estimates of the actual forces needed to destroy a food object that could inform such analyses, so the only actual data generally comes from bite-force gauges. Our point here is that many researchers have used gauges with a very high modulus and hardness. In studies on humans, a classic form is a tuning fork (Carlsson, 1974). A surface liner is often used, but if this is thin, then it will do little to spread the force before the properties of the underlying metal prevail. A bite-force gauge made out of stainless steel would have \( H > 2,000 \text{ MPa} \) and \( E = 210 \text{ GPa} \) (Atkins and Mai, 1985). In a sense, such a gauge is a mimic of a fallback food, but differing in that it is very much harder. Such steel is almost certain to cause yielding in enamel. The yield force \( P_Y \) can be predicted from Eq. (6), and though its actual value depends on the radius of contact, it is likely to be very much lower than the \(~800 \text{ N} \) often quoted in studies of maximum bite force in young human adults (Braun et al., 1995; Miyawaki et al., 2005). If a human subject can sense local yielding in enamel, a possibility that is strongly supported by the studies of Paphangkorakit and Osborn (1998a, 2000), then measurements might not actually pick up the maximum force that subjects could generate because the subject would desist at this point. The influence of gauge rigidity is sometimes mentioned (Braun et al., 1995), but Paphangkorakit and Osborn (1998b) have actually shown that an “elastic” design of gauge can significantly increase the bite forces that human subjects are prepared to generate.

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### LITERATURE CITED


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